

## Calculations Involving Significant Digits

Your final answer cannot be any more precise than the measurements used to determine it.

### Addition | Subtraction

$$\begin{array}{r}
 135.123 \text{ m} \quad (LC = 0.01 \text{ m}) \\
 3.1 \text{ m} \quad (LC = 1 \text{ m}) \leftarrow \text{least precise} \\
 + 42.06 \text{ m} \quad (LC = 0.1 \text{ m}) \quad \text{place value} \\
 \hline
 180.283 \text{ m} \quad \text{is tenths.}
 \end{array}$$

$$180.3 \text{ m}$$

there are 3 uncertain digits, but you can only use one in your final answer

When adding and subtracting, round your final answer to the least precise place value.

### Multiplication | Division

$$\begin{array}{r}
 231.5 \text{ m} \quad (LC = 1 \text{ m}) \quad (4 \text{ sd}) \\
 \times 3.1 \text{ m} \quad (LC = 1 \text{ m}) \quad (2 \text{ sd}) \\
 \hline
 2315 \\
 6945 \\
 \hline
 717.65 \text{ m}^2
 \end{array}$$

↑ can only have one uncertain digit

$$7.2 \times 10^2 \text{ m}^2 \leftarrow \text{better answer (2 sd)}$$

$$(720 \text{ m}^2)$$

When multiplying and dividing you round your final answer to the least number of significant digits used in the calculation.

Examples

①  $32.\underline{1}g + 1.005\underline{9}g + 2.3\underline{9}g = 35.4959g$

35.5g

②  $4\underline{2}00m + 15.\underline{5}m + 17\underline{9}m = 4394.5m$

$4.4 \times 10^3 m$

ADDING + SUBTRACTING → least precise place value.

③  $\overset{3sd}{32.7} km \div \overset{2sd}{1.2} h = \overset{2sd}{27.25} \frac{km}{h}$

27 km/h

④  $\overset{4sd}{4.219} mm \times \overset{4sd}{105.2} mm \times \overset{3sd}{2.35} mm =$

$\overset{3sd}{1043.02118} mm^3$

$1.04 \times 10^3 mm^3$

MULTIPLYING + DIVIDING → Least # of sds